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Effects of Nimodipinee on cerebral hemodynamic and prognosis of diffuse axonal injury patients with repeated measurements design

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Abstract

In medical and behavioral researches experimental units, are often the people who are in different social status, physical and other tendency So their responses will be different. In these situations they are required to control the changes in the result of this sources that are potentially variable otherwise the source of variability can increase mean square error significantly and make impossible revealing the real difference between treatments. Appropriate model for such research projects are repeated measurements.

This study is a prospective study that accesses the effects of Nimodipinee on Hemodynamic changes of cerebral vessels and the short time prognosis in DAI patients. The study was done in Trauma ward of Imam Reza hospital of Tabriz Iran.

Forty DAI patients were randomized in two equals groups the case group underwent treatment with Nimodipine drug (every 4 hours after admission) Control groups did not received this treatment.

Hemodynamic changes in these patients were measured using transcranial Doppler machine on the first third and tenth days of admission.

Using a repeated measurements design fitting model

$$Y_{ijk} = \mu + \tau_i + \beta_{j(i)} + \gamma_k + (\tau\gamma)_{ik} + (\beta\gamma)_{kj(i)} + \varepsilon_{m(ijk)}$$

In which τ_i is the drug effect (groups Case and Control) is fixed and is in two levels. $\beta_{j(i)}$ is the effect Of j-th patient in group i, which is in twenty level. γ_k is TCD stages that is fixed and it is in three levels. $(\tau\gamma)_{ik}$ and $(\beta\gamma)_{kj(i)}$ are correspond interactions, this finding obtained that there is no significant differences in Doppler variables between three time TCD and Nimodipine did not make significant difference between the variables.

In this study using Nimodipine in DAI patients did not make significant effect on Doppler variables. Therefore, using this drug for this group of patients is not recommended.

Keywords: repeated measurements design, Nimodipine, patients with DAI

1. Introduction

In medical and behavioral research of often experimental units, the of people due to certain social status, physical and other areas they may there answer is very different. In this situations are required to contra the changes in the result of this source that are changeable the potential for this changeable to controlled. Because in the otherwise the source of variability can increase mean square error significantly to reveal be impossible in the real difference between treatments. Appropriate plan for such research projects are repeated measurements. In this study, the effects of Nimodipinee on cerebral hemodynamic and prognosis of diffuse axonal injury patients has been analyzed using this method.

Diffuse axonal injury (DAI), Vazvaspasm and cerebral ischemia are progressive events which therapeutic interventions can improve the prognosis of them in the courses (1, 2, 3). Diffuse axonal injury (DAI) is a common pattern of brain injury, which is often underestimated. Traffic accidents are the main cause of DAI. DAI is the most important traumatic brain lesion leading to impairment of consciousness and late disability (1, 3, 4).

For traumatic and aneurismal SAH, Nimodipinee has become a standard treatment (1) Nimodipine acts on spastic vessels selectively and improves blood flow

in ischemic areas (5). Vazvaspam and brain ischemia are other important events that are seen in traumatic patients.

Tran cranial Doppler (TCD) is a non-invasive method, permitting measurement of blood flow velocity in cerebral arteries (6). A few studies assessing the effectiveness of nimodipine on DAI patients. Thus, the present investigation was designed to study hemodynamic changes in DAI patients and the effects of nimodipine on Doppler variable and the patient's outcome.

2. Materials and methods

This study is a prospective clinical trial and a double blind study that accesses the effects of Nimodipine on hemodynamic changes of cerebral vessels and the short time prognosis in DAI patients. The clinical study period was in the trauma ward of Imam Reza hospital of Tabriz, Iran. Patients of both sexes, aged above 12, with brain CT findings of DAI were enrolled. In this study, standard exclusion criteria were followed.

Forty patients were included in this trial, which were randomized in two equal groups. The case group underwent treatment with Nimodipine 60 mg every 4 hours via gavages in the first 12 hours of their admission. The control group didn't receive this treatment. Both groups underwent bedside TCD studies in the days 1, 3 and 10 of their admission. Peak systolic velocity (PSV), end diastolic velocity (EDV), mean flow velocity (MFV), and plasticity index (PI) of both middle cerebral arteries (MCA) were recorded. Normal MFV in MCA is 62 ± 12 cm/sec (1, 6).

3. Results

The study population consisted of 40 patients (32 males and 8 females) with age range of 12 to 70 years (28.25 ± 14.08). The case group included 20 patients (16 male, 4 female) with the mean age of 26.90 ± 12.88 . There were no significant differences between the case and control groups about age and sex. The most common cause of DAI in our cases was traffic accidents (80%).

With fitting model

$$Y_{ijk} = \mu + \tau_i + \beta_{j(i)} + \gamma_k + (\tau\gamma)_{ik} + (\beta\gamma)_{kj(i)} + \varepsilon_{m(ijk)}$$

For mean flow velocity (MFV) in which τ_i treatment effect (groups Case and Control) is fixed and has two levels. $\beta_{j(i)}$ is the effect of j-th patient in group i which is in 20 levels and randomized. γ_k is TCD stages that is fixed and has three levels. $(\tau\gamma)_{ik}$ and $(\beta\gamma)_{kj(i)}$ are correspond and interactions.

Here because of the lack of repetition in each stages of TCD, error is not calculable. Range of indices in general, $i = 1, 2, \dots, a$ and $j (i) = 1, 2, \dots, b$ and $k = 1, 2, \dots, c$ and $m = 1, 2, \dots, n$ allocate and here: $a = 2, b = 20, c = 3$ and $n = 1$.

Analysis of variance with separation of total sum squares:

$$\begin{aligned} \sum_i \sum_j \sum_k (\bar{y}_{ijk} - \bar{y})^2 &= \sum_i \sum_j \sum_k [(\bar{y}_{ij} - \bar{y}) + (y_{ijk} - \bar{y}_{ij})]^2 \\ &= c \sum_i \sum_j (\bar{y}_{ij} - \bar{y})^2 + \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ij})^2 \end{aligned}$$

$$(abc-1) = (ab-1) + (abc-ab)$$

Total Between patients within the patients Difference between patients

$$Df = ab - 1 = 39$$

Patient internal difference $Df = ab (c-1) = 40 (2) = 80$ and both of them are independent.

Sum squares between patients, including both changes related to difference of groups and differences of patient within Groups. The two can be divided as follows.

$$\begin{aligned} c \sum_i \sum_j (\bar{y}_{ij} - \bar{y})^2 &= c \sum_i \sum_j [(\bar{y}_i - \bar{y}) + (\bar{y}_{ij} - \bar{y}_i)]^2 \\ &= bc \sum_i (\bar{y}_i - \bar{y})^2 + c \sum_i \sum_j (\bar{y}_{ij} - \bar{y}_i)^2 \end{aligned}$$

$$(ab-1) = (a-1) + a(b-1)$$

Between patients treatment within Patients

Sum squares of treatment with a-1 = 1 digress of freedom and sum squares of patients within treatment a (b-1) = 38 digress of freedom are independent from together. Sum squares or internal changes of patients including changes related to TCD stage, interaction effect TCD stage* treatment and interaction effect TCD stage * the patient within treatment.

We separate these components as follows:

$$\begin{aligned} \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ij})^2 &= \sum_i \sum_j \sum_k [(\bar{y}_k - \bar{y}) + (\bar{y}_{ik} - \bar{y}_i - \bar{y}_k + \bar{y}) \\ &+ (y_{ijk} - \bar{y}_{i.k} - \bar{y}_{ij} + \bar{y}_i)]^2 = ab \sum_k (\bar{y}_k - \bar{y})^2 + b \sum_i \sum_k (\bar{y}_{ik} - \bar{y}_i - \bar{y}_k + \bar{y})^2 \\ &+ \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ik} - \bar{y}_{ij} + \bar{y}_i)^2 \end{aligned}$$

This sum squares respectively with c-1 = 2, (c-1) (a-1) = 2 and a (b-1) (c-1) = 76 digress of freedom are independent from each other.

According to the statistical model can be obtained such partition for the total sum squares, too. If in the statistical model instead of each effect we put its estimation we obtain:

$$\begin{aligned} y_{ijk} &= \mu + (\mu_i - \mu) + (\mu_{ij} - \mu_i) + (\mu_{ik} - \mu_i - \mu_k + \mu) \\ &+ (\mu_{ijk} - \mu_{ij} - \mu_{ik} + \mu_i) + (y_{ijk} - \mu_{ijk}) \end{aligned}$$

and the result of putting samples means rather than populations means is:

$$\begin{aligned} y_{ijk} &= \bar{y} + (\bar{y}_i - \mu) + (\bar{y}_{ij} - \bar{y}_i) + (\bar{y}_{ik} - \bar{y}_i - \bar{y}_k + \bar{y}) \\ &+ (y_{ijk} - \bar{y}_{ij} - \bar{y}_{ik} + \bar{y}_i) \end{aligned}$$

If we move y_{ijk} to the left side and square two sides can get after the summing in values of i, j and k and considering that multiply two by two are zero:

$$\sum_i \sum_j \sum_k (\bar{y}_{ijk} - \bar{y})^2 = bc \sum_i (\bar{y}_i - \bar{y})^2 + c \sum_i \sum_j (\bar{y}_{ij} - \bar{y}_i)^2 + ab \sum_k (\bar{y}_k - \bar{y})^2 + b \sum_i \sum_k (\bar{y}_{ik} - \bar{y}_i - \bar{y}_k + \bar{y})^2 + \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ij} - \bar{y}_{ik} + \bar{y})^2$$

Sum of values that are required to calculate the sum of squares are determined in table 1.

Table 1.

group	patient	Firest TCD	Second TCD	Third TCD	sum
	1	74	69	64	207
	2	79	79	63	221
	3	116	67	45	228
	4	55	56	50	161
	5	66	58	61	185
	6	53	51	48	152
	7	40	71	74	185
	8	64	65	50	179
Case	9	50	58	63	171
	10	61	66	66	193
	11	43	64	63	170
	12	95	89	88	272
	13	82	95	75	252
	14	67	71	45	183
	15	48	47	40	135
	16	45	79	42	166
	17	45	59	55	159
	18	45	103	55	203
	19	66	64	43	173
	20	74	72	80	226
		1268	1383	1170	3821
	21	55	77	42	174
	22	55	75	53	183
	23	103	71	80	254
	24	50	43	61	154
	25	96	69	53	218
	26	111	124	115	350
	27	109	128	117	354
	28	83	67	39	189

Control	29	56	50	50	156
	30	140	93	132	365
	31	69	64	48	181
	32	24	82	55	161
	33	64	63	87	214
	34	96	66	74	236
	35	56	101	71	228
	36	45	57	53	155
	37	50	50	50	150
	38	64	71	74	209
	39	164	96	95	355
	40	75	72	53	200
sum	1565	1519	1402	4486	
Total	7985	7430	23617	39032	
sum					

Between patients

$$SS = c \sum_i \sum_j (\bar{y}_{ij} - \bar{y})^2 = \sum_i \sum_j \frac{y_{ij}^2}{c} - \frac{y^2}{abc} = \frac{207^2 + 221^2 + \dots + 200^2}{3} - \frac{8307^2}{120}$$

$$= 45534.59$$

Treatment

$$SS = bc \sum_i (\bar{y}_i - \bar{y})^2 = \sum_i \frac{y_i^2}{bc} - \frac{y^2}{abc} = \frac{3821^2 + 4486^2}{60} - \frac{8307^2}{120} = 3658.21 \text{ treatment}$$

$$SS = c \sum_i \sum_j (\bar{y}_{ij} - \bar{y}_i)^2 = \sum_i \left(\sum_j \frac{y_{ij}^2}{c} - \frac{y_i^2}{bc} \right)$$

$$= \left(\frac{207^2 + \dots + 226^2}{3} - \frac{3821^2}{60} \right) + \left(\frac{174^2 + \dots + 200^2}{3} - \frac{4486^2}{60} \right) = 41876.38$$

within
Patients
Within

patients

$$SS = \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ij})^2 = \sum_i \sum_j \sum_k y_{ijk}^2 - \sum_i \sum_j \frac{y_{ij}^2}{c}$$

$$= 74^2 + \dots + 53^2 - \frac{207^2 + \dots + 200^2}{3} = 20551.34$$

Stage TCD

$$SS = ab \sum_k (\bar{y}_k - \bar{y})^2 = \sum_k \frac{y_k^2}{ab} - \frac{y^2}{abc}$$

$$\left(\frac{2833^2 + 2902^2 + 2572^2}{40} - \frac{8307^2}{120} \right) = 1514.85$$

treatment*TCD stage

$$SS = b \sum_i \sum_k (\bar{y}_{ik} - \bar{y}_i - \bar{y}_k + \bar{y})^2 = \sum_i \sum_k \frac{y_{ik}^2}{b} - \frac{y^2}{abc}$$

$$-_{treatment} SS -_{stageofTCD} SS = \frac{1268^2 + \dots + 1402^2}{20} - \frac{8307^2}{120} - 3658.21 - 1514.85$$

$$= 328.02$$

TCD stage* treatment within patients (group)

$$SS = \sum_i \sum_j \sum_k (y_{ijk} - \bar{y}_{ij} - \bar{y}_{ik} + \bar{y}_i)^2$$

$$= \sum_i \sum_j \sum_k y_{ijk}^2 - \sum_i \sum_j \frac{y_{ij}^2}{c} - \sum_i \sum_k \frac{y_{ik}^2}{b} + \sum_i \frac{y_i^2}{bc} = 18708.47$$

Table 2. ANOVA table to the right middle cerebral artery MFV (MCA)

Source change	Total squares (SS)	Digress of freedom	Mean squares (MS)	F ₀
Among patients	45534.59	39		
Treatment(group)	3658.21	1	3685.21	3.34
treatment within Patients	41876.38	38	1102.01	4.48
within Patients	20551.34	80		
stage TCD	1514.85	2	757.43	3.08
stage TCD × treatment	328.02	2	164.01	0.67

stage TCD × treatment within Patients	18708.47	76	246.16
total	66112/93	119	

Compared with obtained values for the F_0 with their analogous amount in distribution points table $F_{0.05, v_1, v_2}$ (10), when $F_0 < F_{0.05, v_1, v_2}$ be noted that none of the sources of change are not significant.

In this study, repeated measurements ANOVA models has been done as above and also using Minitab statistical software for factors pulsatility index (PI), mean flow velocity (MFV), peak systolic velocity (PSV) and end diastolic velocity (EDV) in both internal carotid artery and the right and left sides of middle cerebral a arteries (MCA). Nimodipine did not cause any significant effect on those variables.

4. Discussion

DAI was termed by Adams in 1982 and considered as the main cause of morbidity and mortality of head injury (4).

Nimodipine decreases neurological morbidity, improves the outcome and it is a safe drug (7,8). The hemodynamic effects of nimodipine treatment can be monitored by the use of serial TCD investigations (6). In the literature, we found only one study about the effects of nimodipine on DAI patients. According to this case-control study, which assessed 89 patients with DAI, nimodipine could not create a significant difference between the two groups (1).

Repeated measurements design that is used in this study for analyzing the data is known as a within subjects design in which all of the subjects attend in every experimental conditions of the project that can be one of the weaknesses of these designs. Because in some research projects the inclusion of one subjects in all conditions of the research is impossible (9).

Repeated measurements design makes researchers be able to measure how the subjects are changing with passing the time.

5. Conclusion

In this study using Nimodipine in DAI patients did not make significant effect on Doppler variables. Therefore according to our results by analyzing the data, we don't have strict recommendation for using this drug for this group of patients. Although this effect was not significant, but the view that Nimodipine is a safe drug had beneficial effects of the patients from clinical view in improvement and was well tolerated by patients and reduced vasospasm not prohibited in these patients.

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